

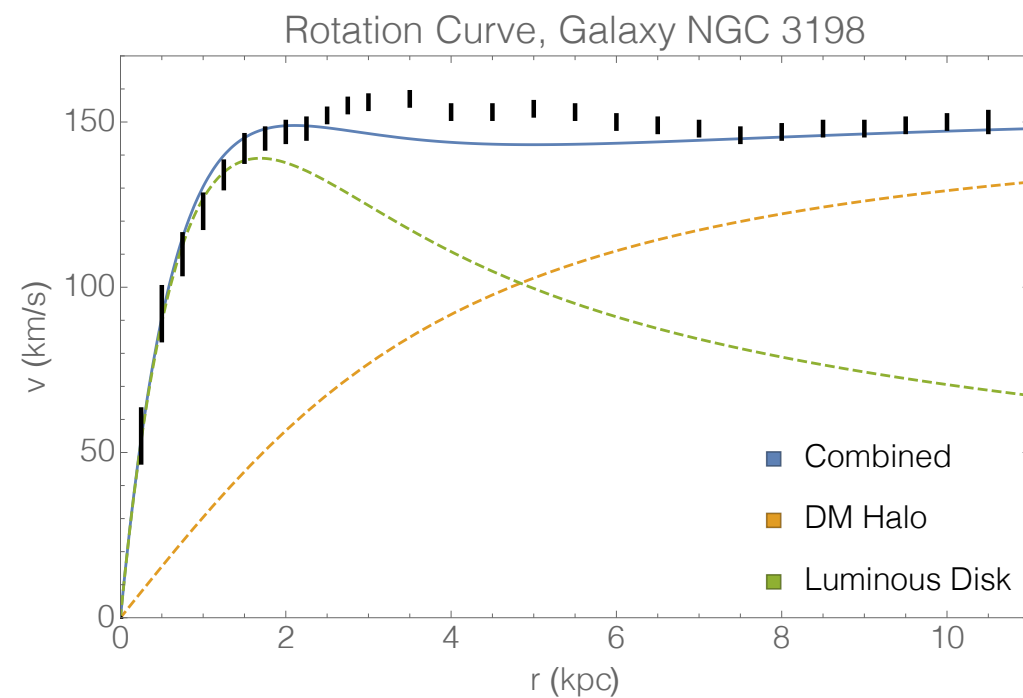
Detecting Boosted Dark Matter

Joshua Berger
SLAC

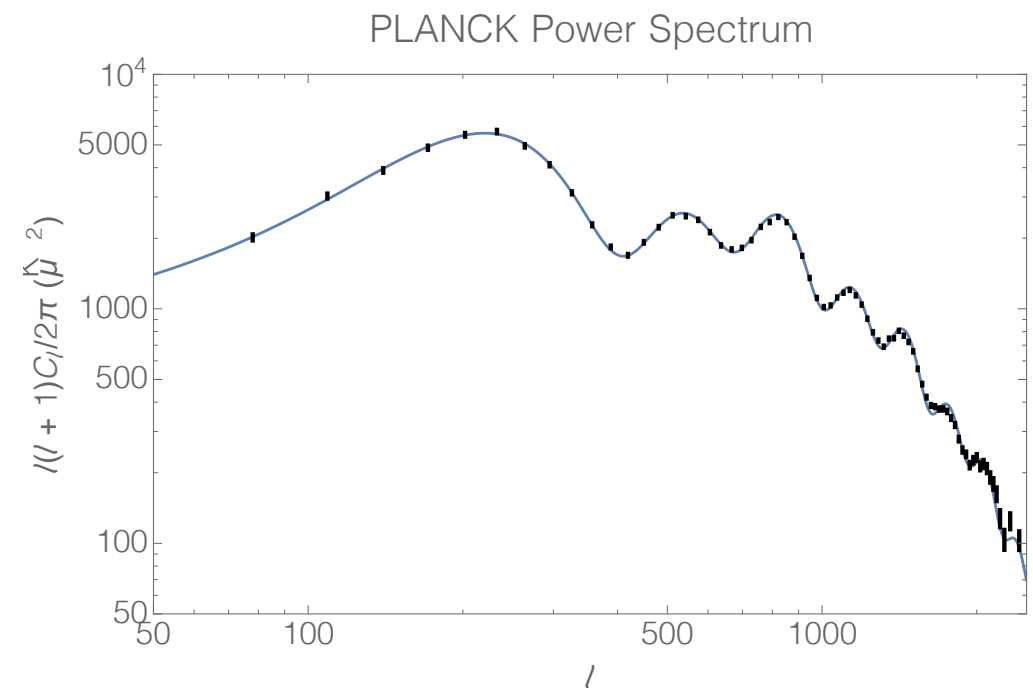
Based on: J.B., Y. Cui, Y. Zhao - 1410.2246

UC Irvine
February 25, 2015

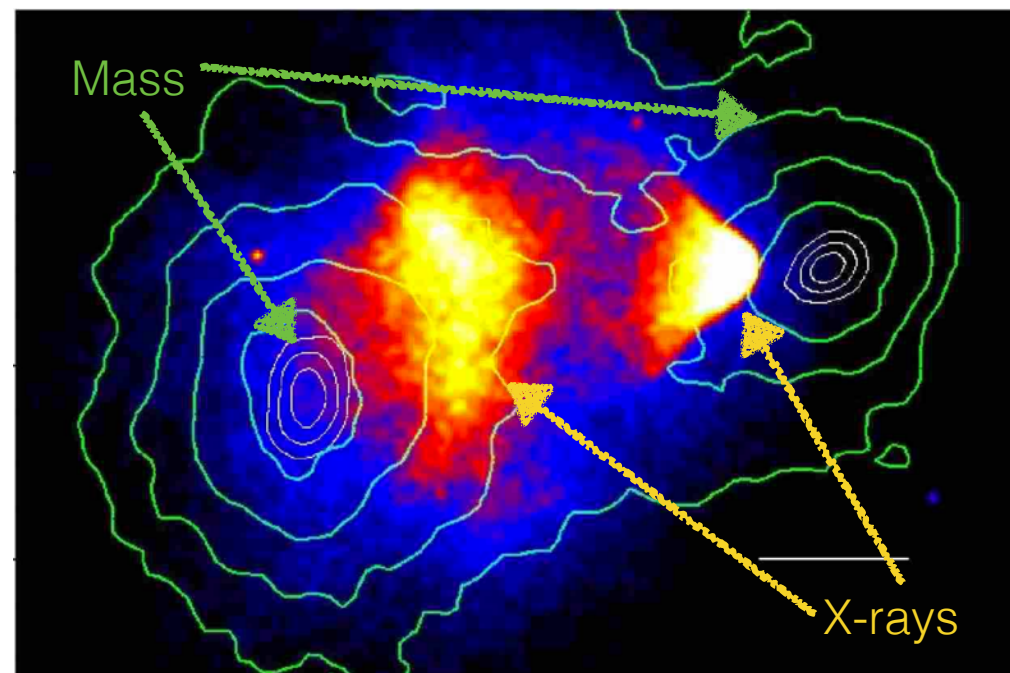
What is Dark Matter?



van Albada et. al.



PLANCK Collaboration
Lewis and Challinor



Clowe et. al.

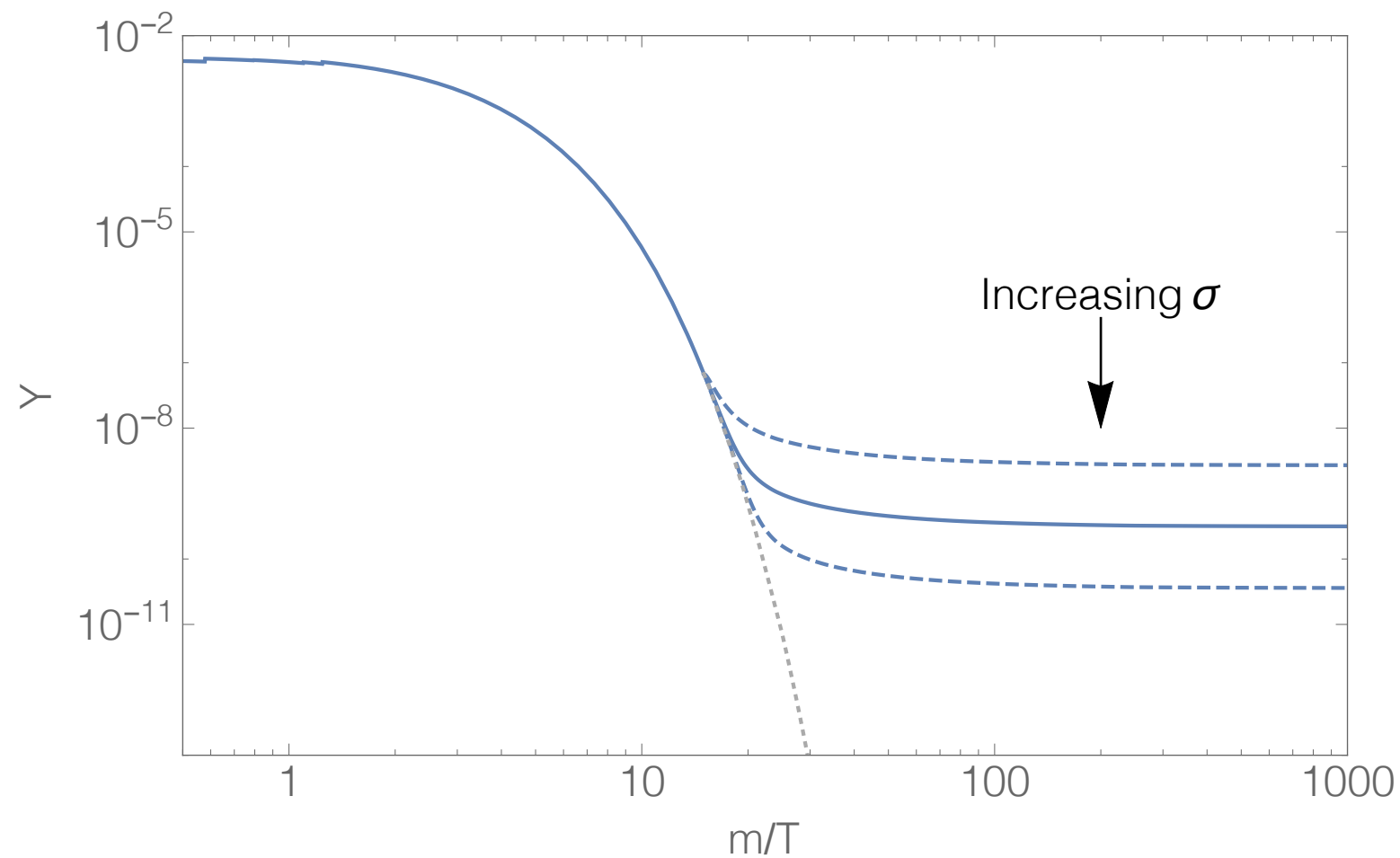
What do we know?

- Not so hot: $v \approx 10^{-3}$ in local halo
- Stable: likely protected by \sim symmetry
- Abundance: energy fraction $\Omega_c \approx 0.2$
- Many negative results on DM interactions

Non-Minimal DM

- Spin dependent interactions only
- Velocity suppression at low v
- Non-SM annihilation modes
- Non-minimal stabilization symmetry
- Multi-component DM sector

Thermal Relic DM

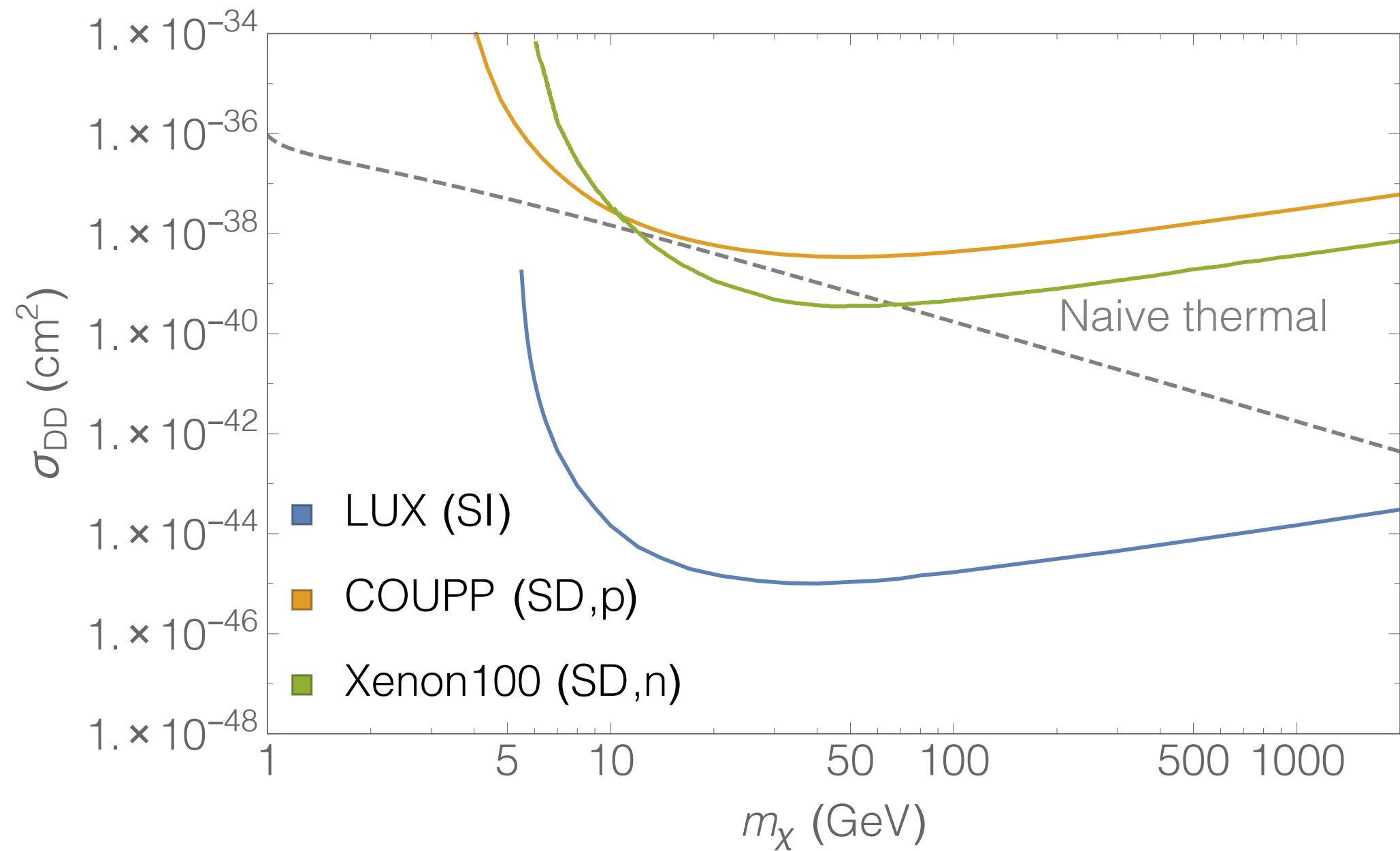


$$\langle \sigma_{\text{ann}} v \rangle \sim 1 \text{ pb}$$



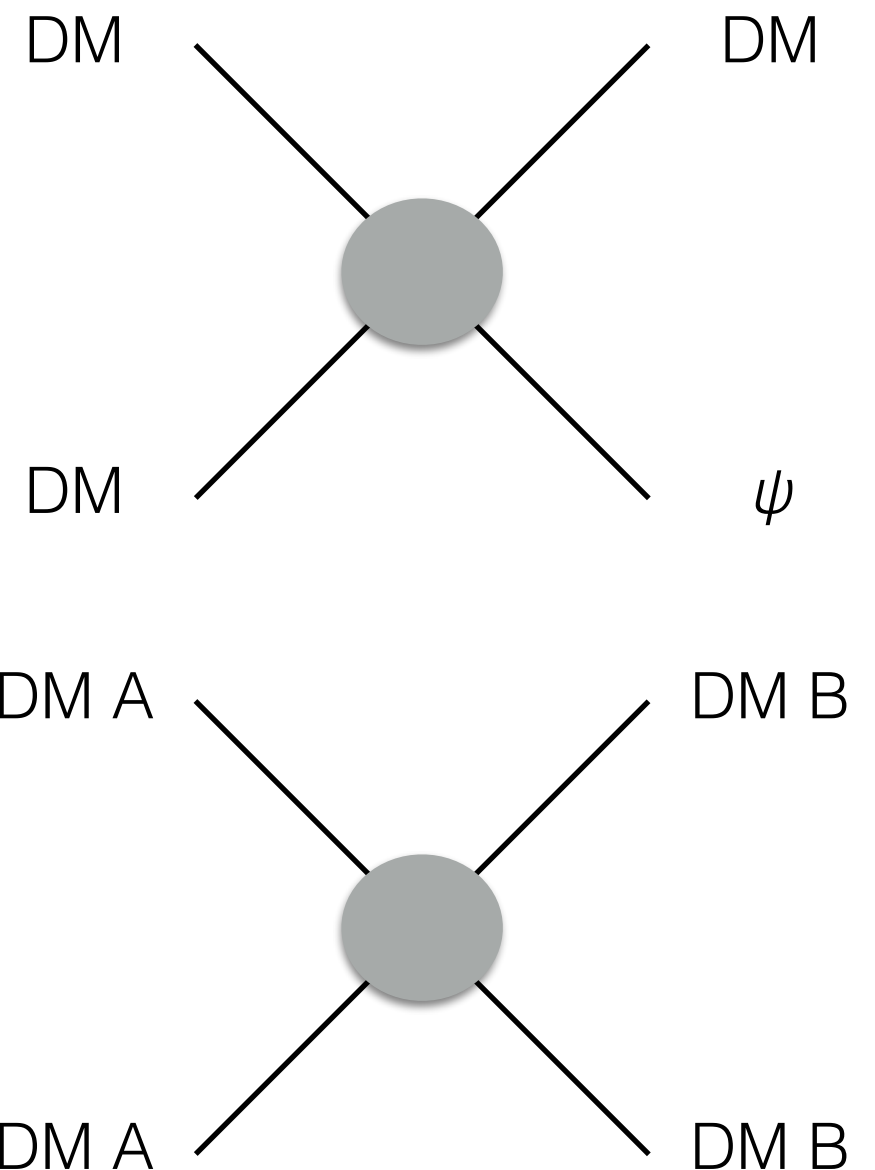
$$\Omega_c \sim 0.2$$

Thermal Relic Trouble?



Boosted DM from annihilation

- Two prototype scenarios:
 - Semi-annihilating DM models
 - Two component DM models



Where to Look?

- Annihilation $\sim n_\chi^2$, so concentrated volume of DM
- Flux $\sim 1/D^2$, so somewhere nearby
- Galactic center: obvious choice

$$\Phi \sim 10^{-7} \text{ cm}^{-2}\text{sec}^{-1}$$

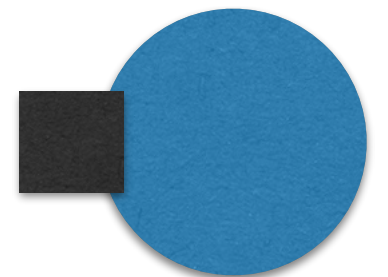
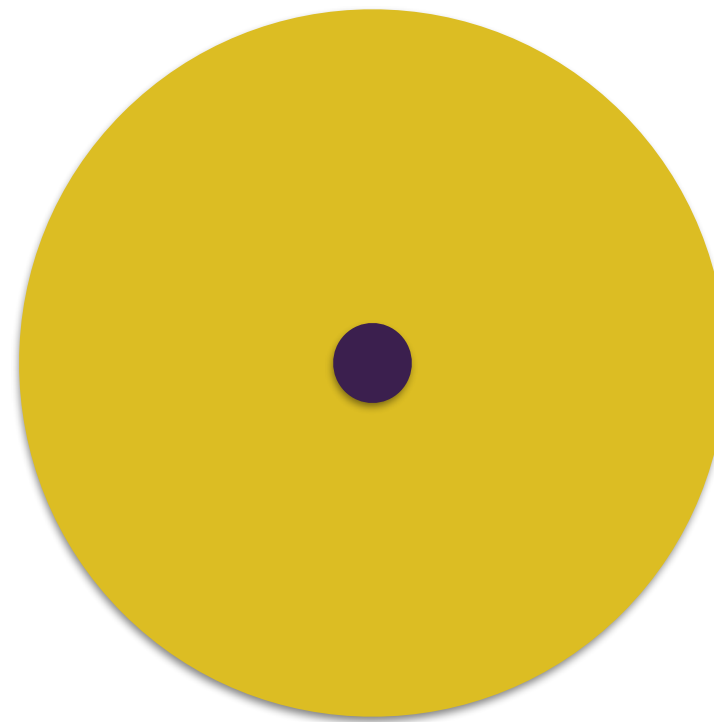
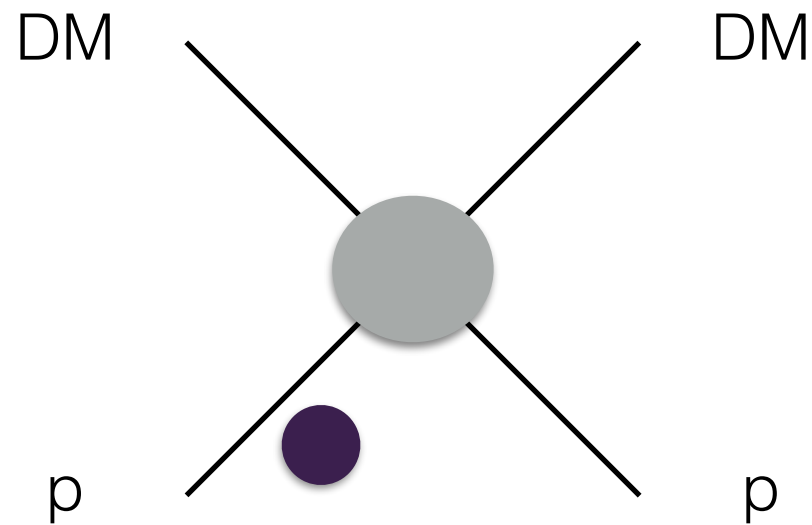
- Consider solar capture instead

$$\Phi \sim 10^{-2} \text{ cm}^{-2}\text{sec}^{-1} \left(\frac{\sigma_{\text{DD}}}{10^{-38} \text{ cm}^2} \right)$$

How to Look?

- Use the largest detector with low enough threshold
- Boosted DM means larger recoils
- For $O(1)$ boost: proton recoil ~ 1 GeV
- Best strategy (for now): Proton Cherenkov light
- Recoil momentum acceptance $\sim 1.07 - 2$ GeV

1. DM Captured by Sun

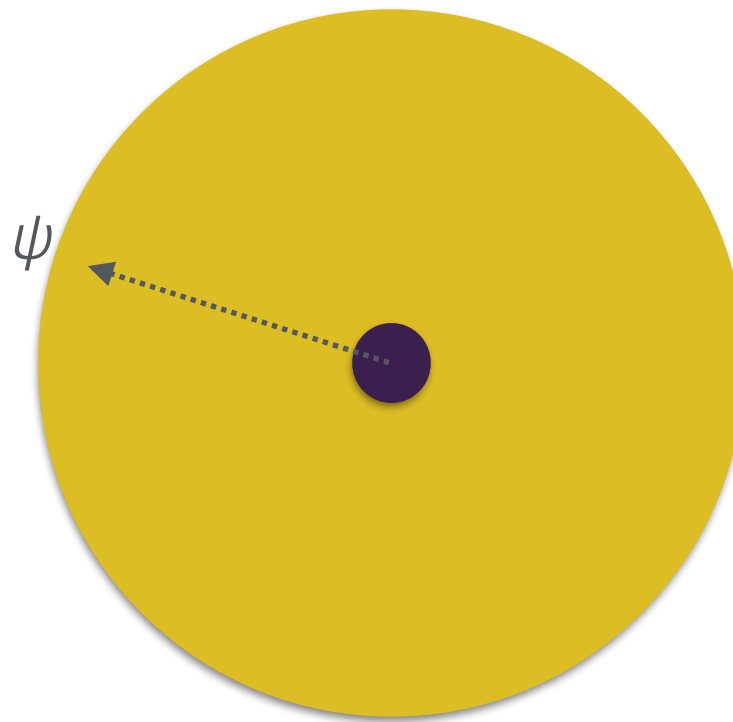
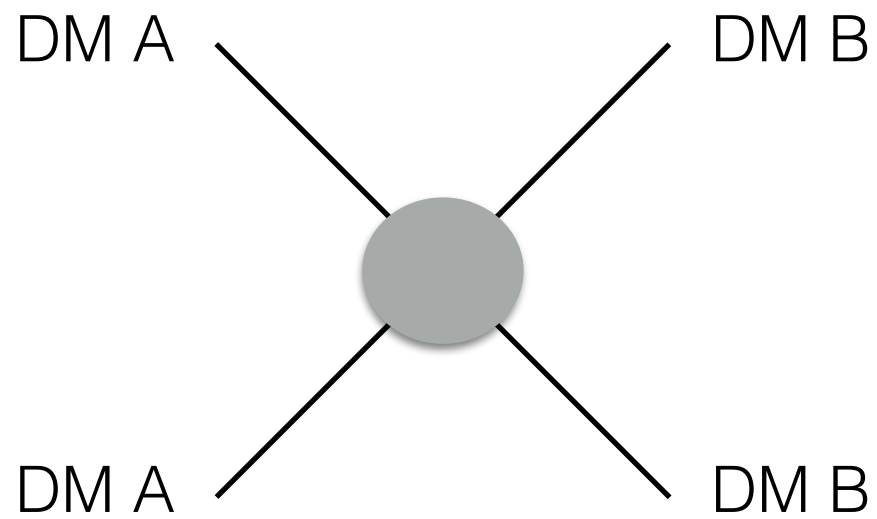
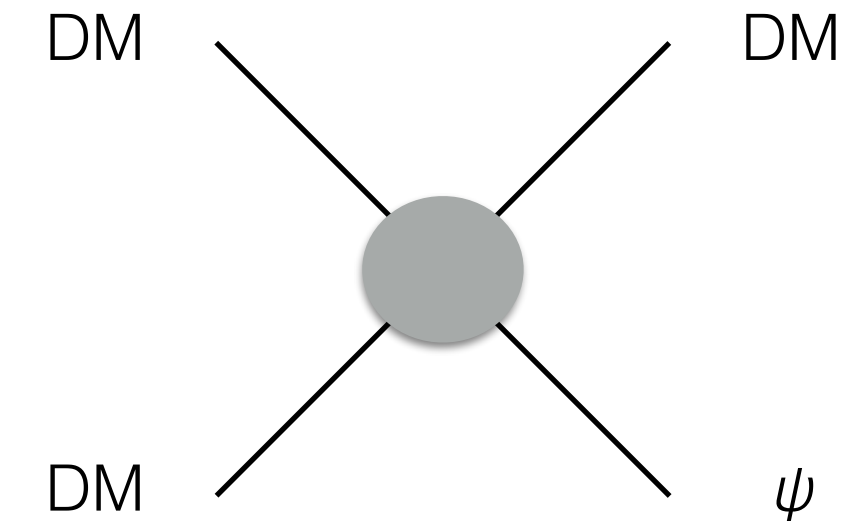


DM

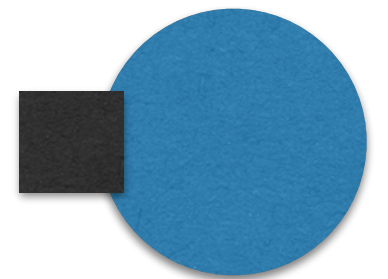
Sun

Earth

2. Annihilation

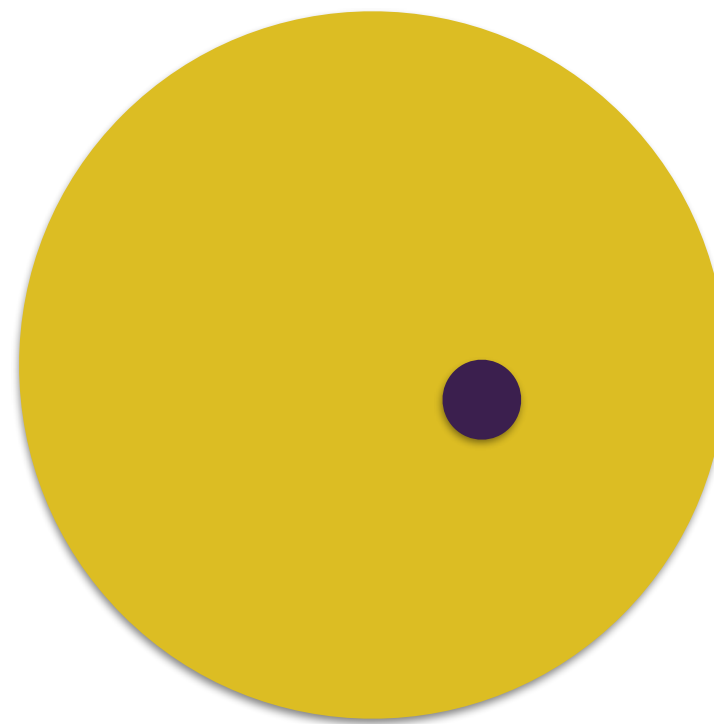
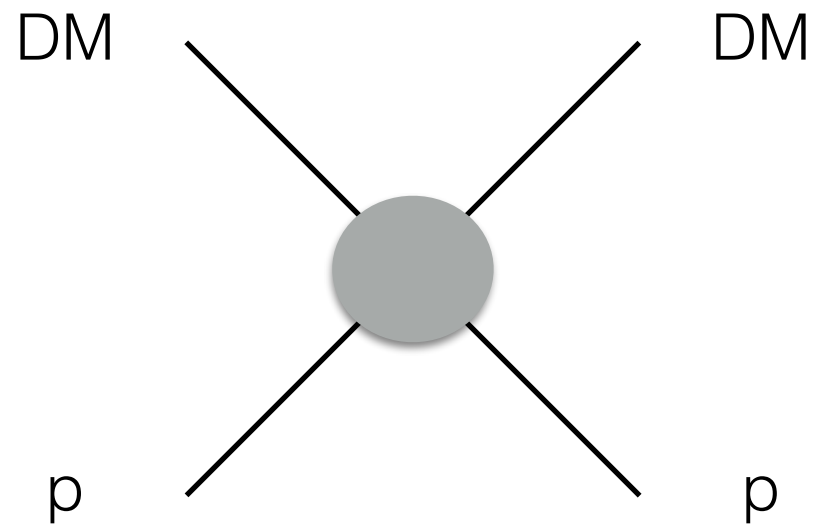


Sun

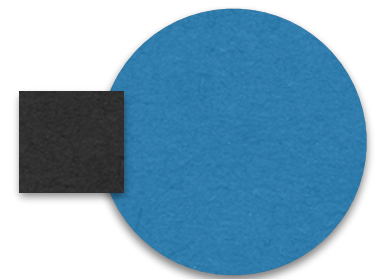


Earth

3. Re-scattering in Sun

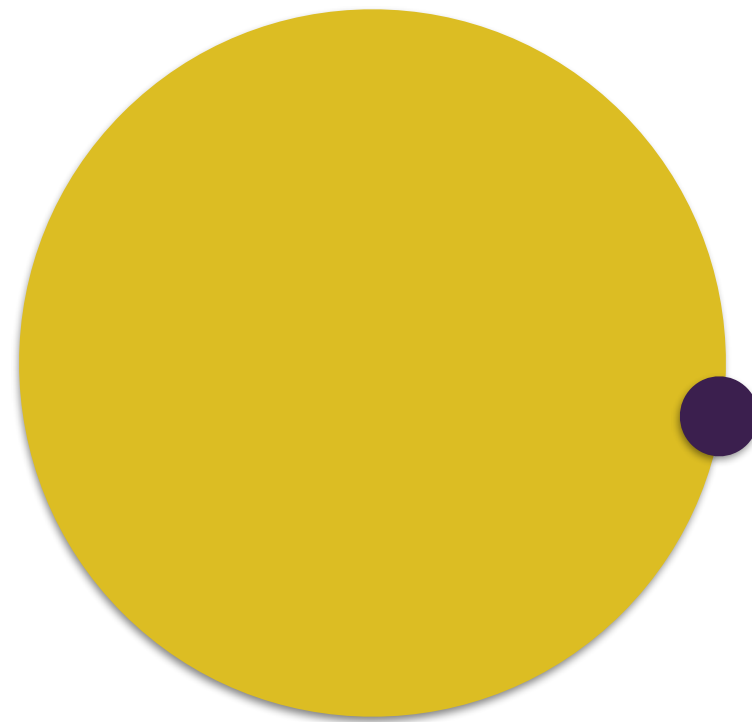
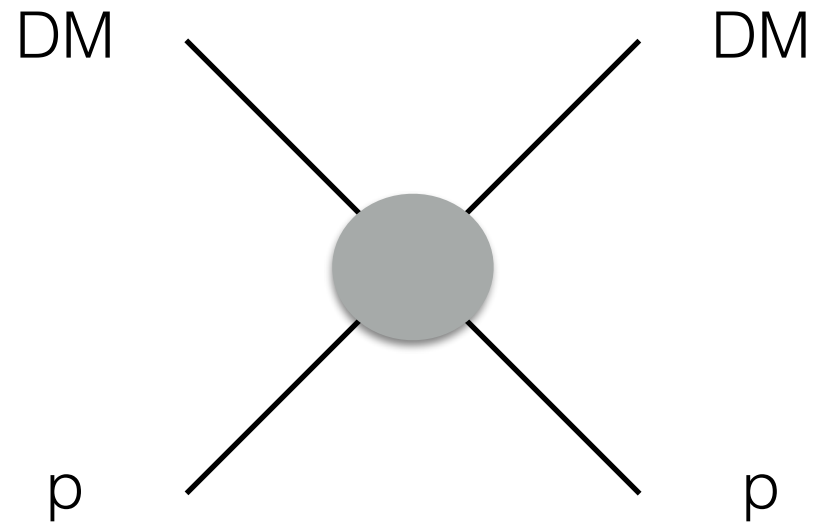


Sun

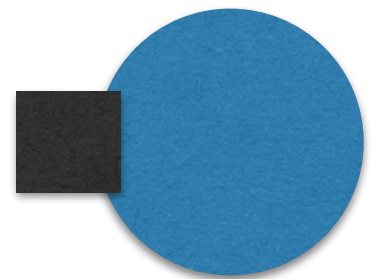


Earth

4. Detection



Sun



Earth

Models

Overview

- Recall: 2 classes of models
 - Semi-annihilating DM: v^0 or v^2 in NR limit
 - Two component DM: v^0 only
- All cases: Assume SD interactions only

Semi-Annihilating Models

- Simplest example: Z_3 symmetric DM
- Other examples: different symmetries or near-degenerate spectrum

$$\gamma_\chi = \frac{5m_\chi^2 - m_\psi^2}{4m_\chi^2} \approx 1.25 \quad v \approx 0.6$$

- Neglect (presumed unstable) fourth particle

v^0 couplings

- Fermionic DM χ and auxiliary particle ψ
- DM-N scattering mediated by Z' with axial coupling
- Annihilation by Z' in p-wave: SA dominates

$$\mathcal{O}_{Z'} = \frac{1}{M^2} \bar{\chi} \gamma^\mu \gamma^5 \chi \bar{q} \gamma_\mu \gamma^5 q \quad \mathcal{O}_{\text{SA}} = \frac{1}{m^2} (\chi_L \chi_L) (\chi_R^\dagger \psi_R^\dagger)$$

v^2 couplings

- **Scalar** DM χ and auxiliary particle ϕ
- DM-N scattering mediated by Z' with axial coupling
- Annihilation by Z' in p-wave: SA dominates

$$\mathcal{O}_{Z'} = \frac{1}{M^2} (\chi^\dagger \partial_\mu \chi - \partial_\mu \chi^\dagger \chi) \bar{q} \gamma^\mu \gamma^5 q \quad \mathcal{O}_{\text{SA}} = \lambda \chi^3 \phi$$

Two Component Models

- Assume $m_B < m_A$ and $\sigma_B > \sigma_A$

$$\gamma_B = \frac{m_A}{m_B} \quad v = \sqrt{1 - \frac{m_B^2}{m_A^2}}$$

- Range of $v \sim 0.5 - 0.9$ for detection
- More moving parts, but more flexibility
- Can naturally realize thermal relic

Two Component Details

- Fermionic DM ψ_A and ψ_B
- ψ_B subdominant component of relic DM
- DM-N scattering mediated by Z' with axial coupling
- Annihilation of ψ_A dominantly into ψ_B

$$\mathcal{O}_{\text{DD}} = \frac{1}{M^2} \bar{\psi}_X \gamma^\mu \gamma^5 \psi_X \bar{q} \gamma_\mu \gamma^5 q$$

$$\mathcal{O}_{\text{ann}} = \frac{1}{m^2} \bar{\psi}_A \gamma^\mu \gamma^5 \psi_A \bar{\psi}_B \gamma_\mu \gamma^5 \psi_B$$

Parametrizing the Models

$$\sigma_{\text{DD}} = \sigma_{\chi,p}^{v \rightarrow} 10^{-3} (m_\chi, M^2)$$

- Exchange suppression scale & couplings for NR scattering cross-section
- SA parameterized by: $m_\chi, \sigma_{\text{DD}}, (m_{Z'})$
- 2 component by: $m_A, m_B/m_A, \sigma_A, \sigma_B/\sigma_A, (m_{Z'}/m_A)$

Models: They Exist

- More complex dark sector \rightarrow boosted DM
- Same process for capture, re-scattering, detection
- Annihilation separate \rightarrow thermal relic possible
- Convenient parametrization using DD parameters

Boosted DM Flux

DM Flux in 3 Steps

- Capture: NR elastic scattering to below escape v
- Annihilation: Yields boosted DM with rate determined by equilibrium condition
- (Evaporation: Negligible, as we will see)
- Re-scattering: Semi-relativistic scattering loss

DM Capture

$$C = \int dV du \underbrace{\sigma_{\chi,H}(w \rightarrow v)|_{v < v_{\text{esc}}}}_{\text{red}} \underbrace{\frac{w^2}{u}}_{\text{blue}} \underbrace{n_{\chi}}_{\text{purple}} \underbrace{n_H}_{\text{green}} \underbrace{f(u)}_{\text{orange}}$$

- $\sigma_{\chi,H} \sim \sigma_{\text{DD}}$
- w/u : Sommerfeld enhancement
- n_{χ} : Halo DM density
- n_H : Solar hydrogen density (from model AGSS-09)
- $f(u)$: DM (Boltzmann) velocity distribution at $r = \infty$

DM Annihilation

- DM annihilation determined by equilibrium

$$AN^2 = C - EN$$

- Assuming annihilation \sim pb, $t_{\odot} \gg \tau_{\text{eq}}$
- DM evaporation: Elastic up-scattering by tail of hydrogen velocity distribution
- Evaporation negligible for $m_{\chi} > 5$ GeV

DM Re-scattering

- DM can lose energy escaping the Sun

$$\ell = \frac{1}{\sigma_{\chi,p} n_H}$$

- v^2 models: quasi-relativistic during escape
- Calculate detection rate using $\langle E_\chi \rangle$
- Conservative: fluctuations could be important

Putting the Pieces Together

- Flux of DM

$$\Phi = \frac{C}{4\pi \text{AU}^2}$$

- Large capture rate, but large distance balance out
- Next: determine effective cross-section of detector

DM Flux in Numbers

- v^0 models:

$$\Phi = 7 \times 10^{-4} \text{cm}^{-2} \text{sec}^{-1} \left(\frac{\sigma_{\text{DD}}}{10^{-38} \text{cm}^2} \right) \left(\frac{100 \text{ GeV}}{m_\chi} \right)^2$$

- v^2 models:

$$\Phi = 2 \times 10^{-2} \text{cm}^{-2} \text{sec}^{-1} \left(\frac{\sigma_{\text{DD}}}{10^{-38} \text{cm}^2} \right) \left(\frac{100 \text{ GeV}}{m_\chi} \right)^2$$

- Enhancement: DM in sun has larger v than in halo

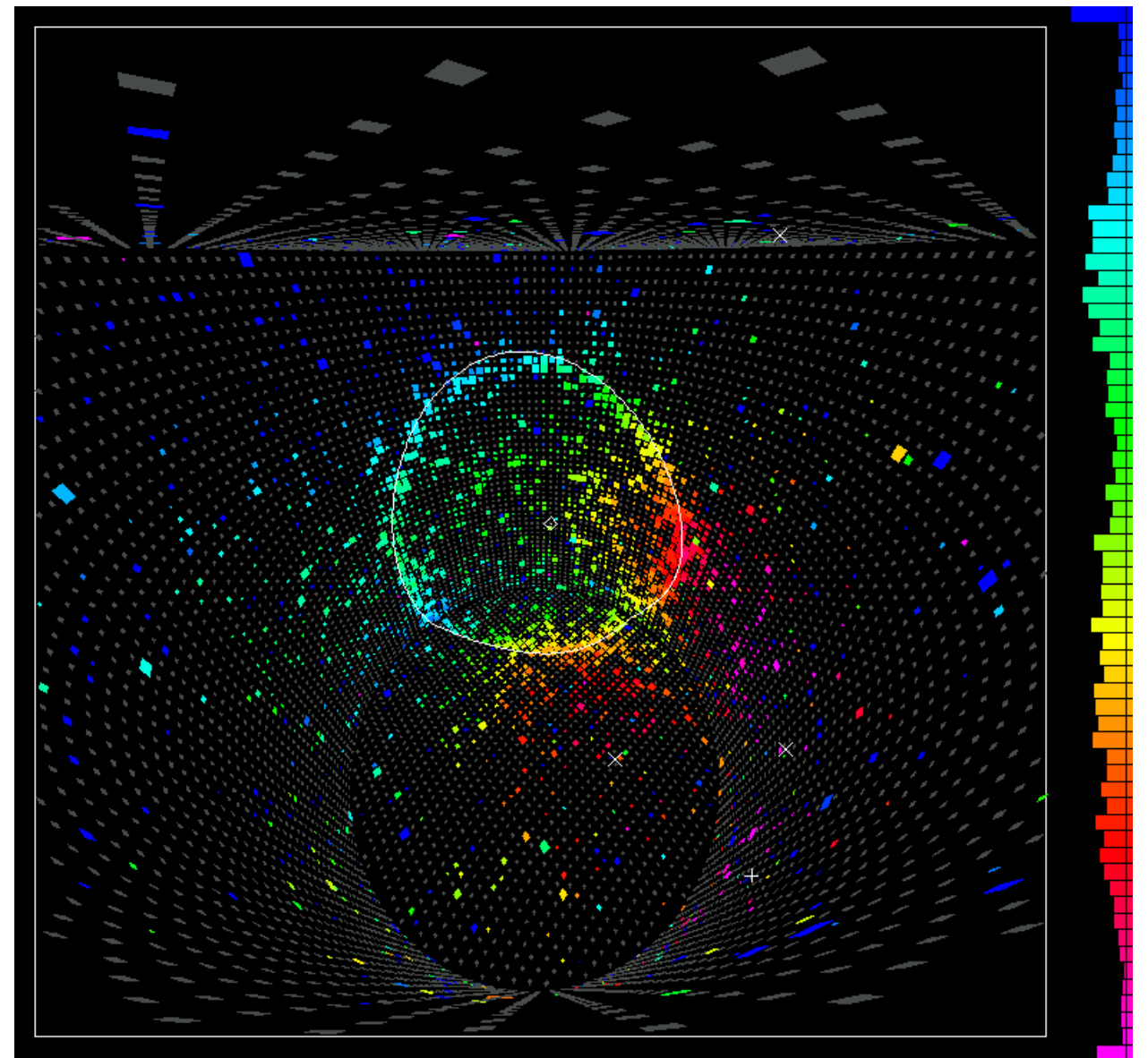
Boosted DM Detection

Strategies

- Two possibilities: scatter off e or p
 - e requires light mediator (see 1405.7370)
- **Not** in low recoil regime: \sim GeV threshold required
- Ideal candidate for now: Super-Kamiokande
- Future candidates: Hyper-K, L-Ar TPC

Proton Cherenkov Rings

- Proton Cherenkov momentum $p > 1.07 \text{ GeV}$
- As $m_\chi \rightarrow \infty$, $v > 0.45$ required
- Single ring from elastic scattering requires $p \lesssim 2 \text{ GeV}$
- For $v > 0.63$, lose some signal



Super-Kamiokande

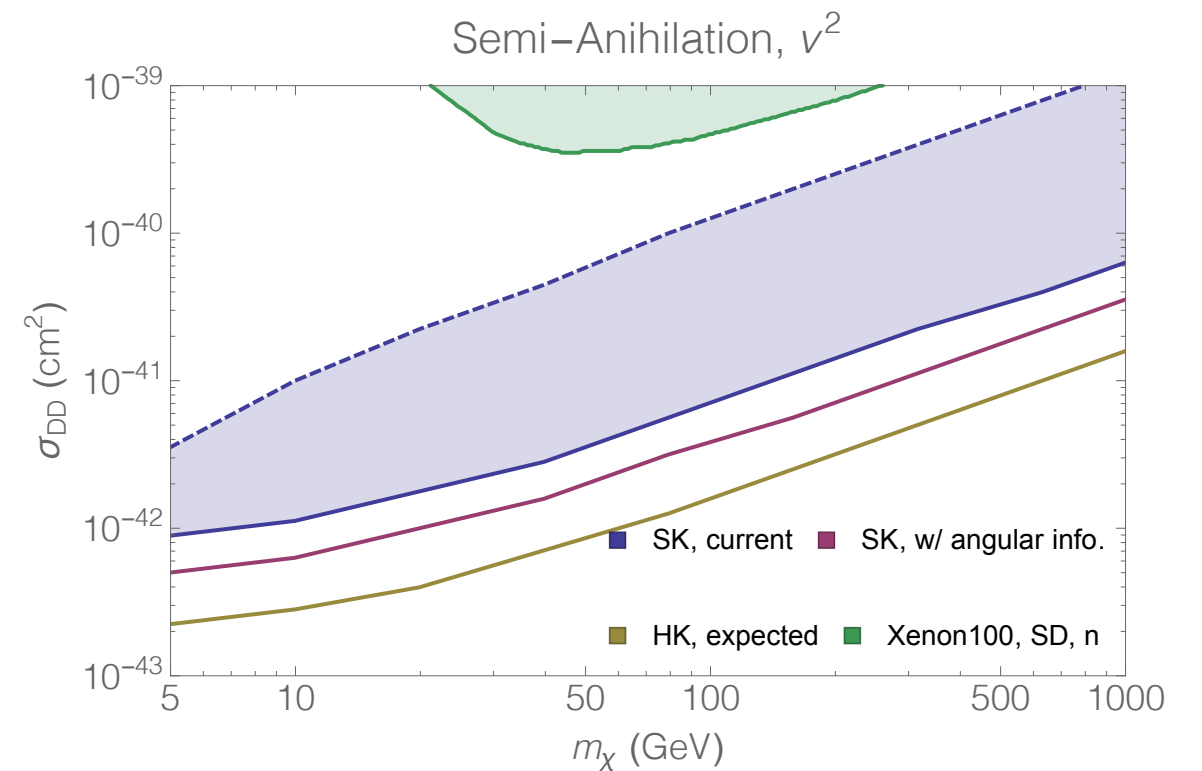
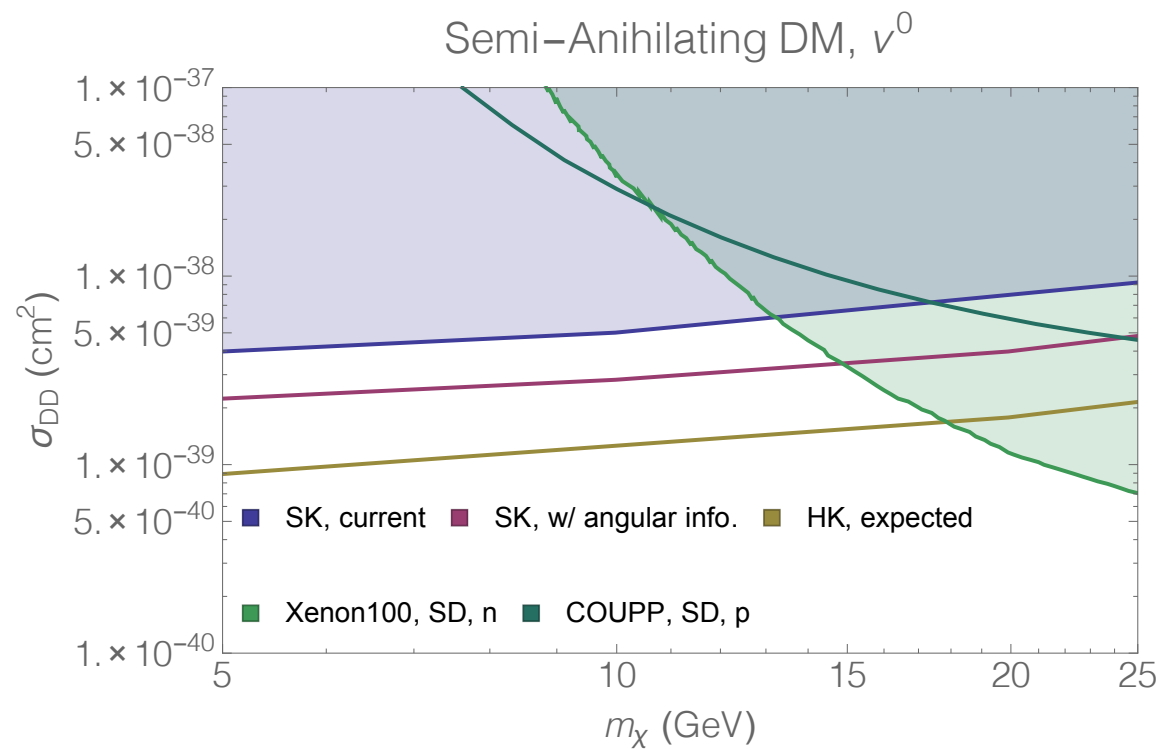
Background Reduction

- Signal: protons recoil within $\theta \sim 40^\circ$ of the sun
- Background: nearly isotropic
- Bonus: large sideband eliminates systematics
- Also: No correlated charged-current signal

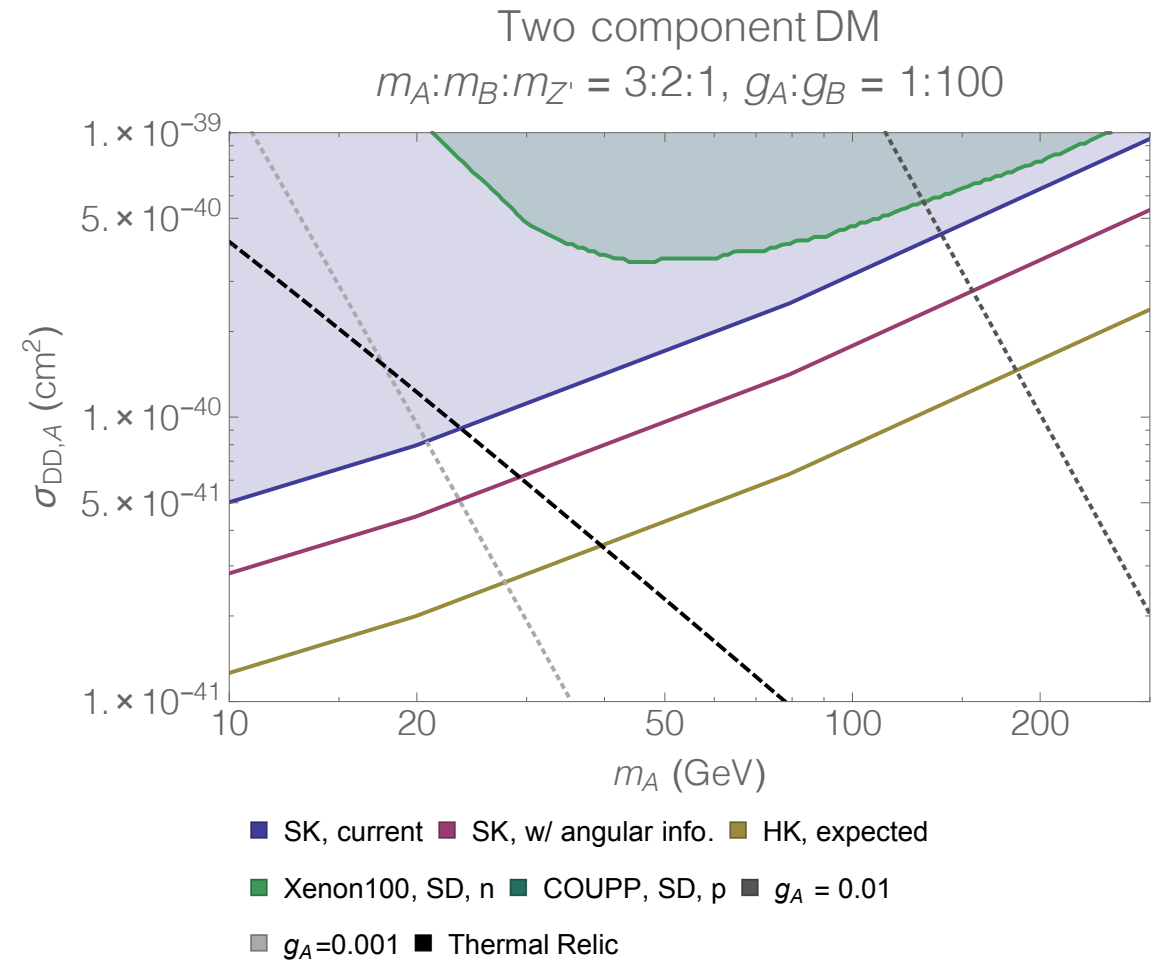
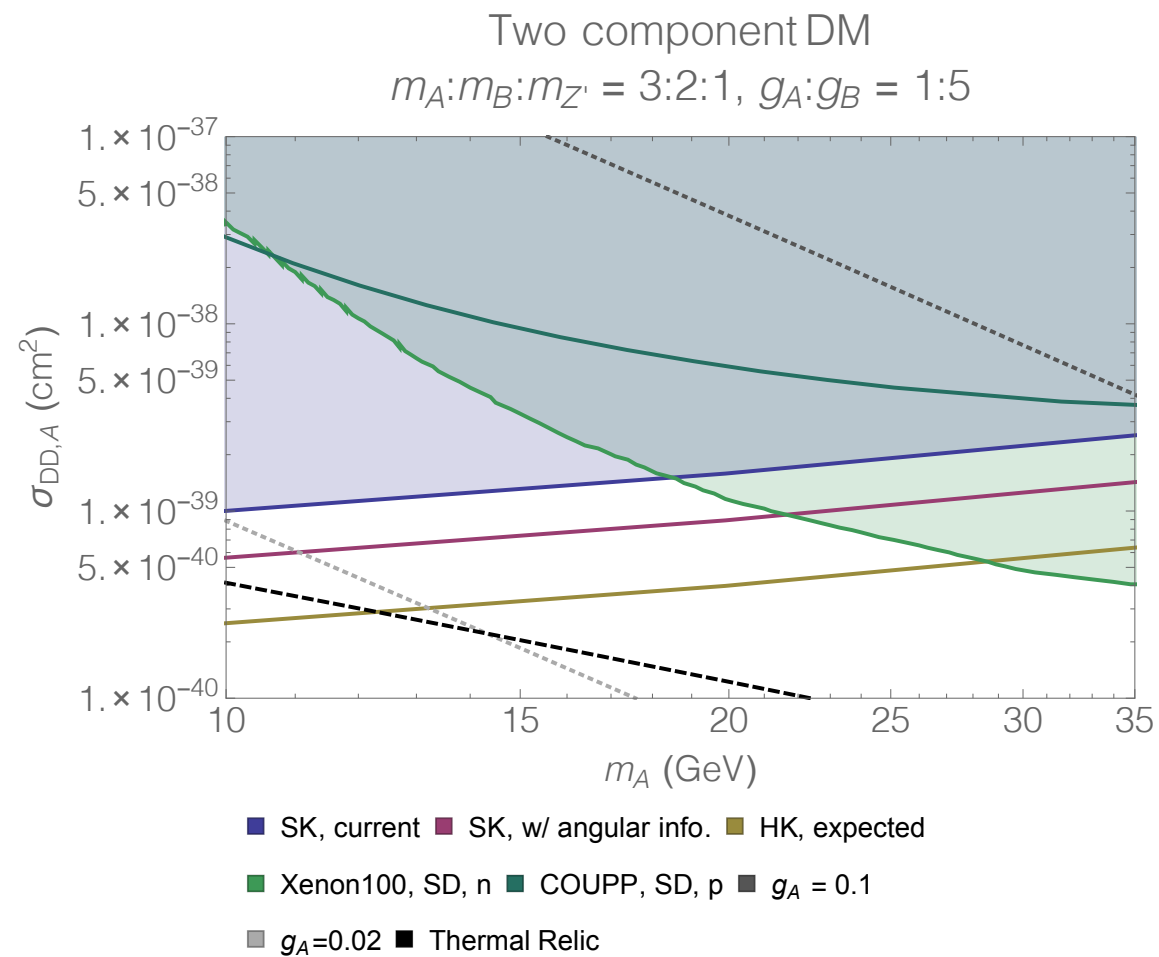
Limits & Prospects

- Consider three scenarios
 - 95% limits from current SK neutral current search
 - Expected 2σ from full SK using recoil direction
 - Expected 2σ from full HK using recoil direction

Results: SA DM



Results: 2 Component DM



Conclusions

Future Directions

- Full analysis using angular information
- Interest from LBNF group: Lower threshold
- Include inelastic and quasi-elastic events?
- Resolve the spectrum?
- Note: Need a detector with **at least** \sim kton-year

Wrap Up

- The thermal relic scenario provides a generic mechanism for DM production, but may involve a non-minimal dark sector
- Several candidate models can generate boosted DM coming from annihilations
- Large volume neutrino detectors can be repurposed for boosted DM discovery